## Chapter 5

Solving and Graphing Linear Inequalities


# 5.1 <br> Solve Inequalities Using <br> Addition and Subtraction 



## Inequalities

- The using:



## Graph of an Inequality in One Variable **

- The $\qquad$ that represents $\qquad$
- Use an $\qquad$ for < and >
- Use a $\qquad$ for $\leq$ and $\geq$

of the inequality.
The
ror


## To Solve Inequalities:

each side to get the $\qquad$ .

- Do $\qquad$ change the sign.



## EX:

Solve the inequality. Graph your solution.

- $x-9<3$
$-1 \geq m+\frac{1}{2}$

- $Y+14.9>-2.7$
$-1 \frac{1}{3} \leq x-8 \frac{1}{3}$


## EX:

- Write and graph an inequality that describes the situation.
- The lowest temperature recorded in Antarctica was -129。F at the Russian Vostok station in 1983.
- You must 12 or under to order off of the kids menu.



## EX:

- You are checking a bag at the airport. Bags can weigh no more than 50 pounds. Your bag weighs 16.8 pounds. Find the possible weights that you can add to the bag by writing and solving an
 inequality.



# 5.2 <br> Solve Inequalities Using Multiplication and Division 

* 



## To Solve Inequalities:

- Multiply or divide each side of the inequality by the
$\qquad$ to get the $\qquad$ .
- If you multiply or divide by a $\qquad$ * you must $\qquad$ the $\qquad$ $\rightarrow$



## EX:

Solve the inequality. Graph your solution.

- $\frac{x}{8} \leq-2$
$5 x<45$
* 
- $\frac{x}{-7} \leq 1.6$
$-6 x>24$




## EX:



- A restaurant owner wants to place identical flower bouquets on 35 tables for opening night. The owner wants to spend no more than $\$ 400$ on the flowers. Write
 and solve an inequality that shows the possible amounts of money the owner should budget for each bouquet.



## 5.3 <br> Solve Multi－Step Inequalities



## To Solve Inequalities:

$\bigcirc$ each side.

- Get all of your $\qquad$ on the
$\bigcirc$ if necessary.
$\qquad$
$\qquad$

$\odot$ $\qquad$ each side by the same thing.
- REMEMBER TO $\qquad$ IF YOU BY A



## EX:Solve the inequality. Graph your solution.

$$
\text { - }-6 y+5<-16
$$

$$
\frac{-1}{4}(p-12)>-2
$$


*


$$
4-2 m>7-3 m
$$

$$
\frac{-2}{3} d-2<\frac{1}{3} d+8
$$


*

## If you loose your variable when solving an inequality:

- 1) And the resulting inequality is $\qquad$ , then the solution is $\qquad$ .

- 2) And the resulting inequality is $\qquad$ , then the inequality has $\qquad$ .



## EX: Solve the inequality, if possible.

$$
\text { - } 1-8 s \leq-4(2 s-1)
$$

$$
\frac{1}{5}(4 m+10)<\frac{4}{5} m+2 \pi
$$



$$
3 p-5>2 p+p-7
$$

$$
5 x-12 \leq 3 x-4
$$

## EX:

- You are saving money for a summer basketball camp that costs $\$ 1800$. You have saved $\$ 500$ so far, and you have 14 more weeks to save. What are the possible
 average amounts of money that you can save per week in order to have at least $\$ 1800$ saved?



## 5.4 <br> Solve Compound Inequalities



## Compound Inequality

- A compound inequality consists of inequalities joined by $\qquad$ .
- EX: "And" Inequality

- EX: "Or" Inequality



## To solve compound inequalities:

- With AND:
- Whatever you do to the $\qquad$ of the inequality, do to $\qquad$ of the inequality.
- With OR:
- Solve $\qquad$ inequality $\qquad$ .



## EX:

Solve the inequality. Graph your solution.

- $10<2(y+2)<24$
$-7 \leq-x-1 \leq 3$


步


$$
4 x+1<-3 \text { or } 5 x-3>17
$$

$$
9 x-6>12 x+1 \text { or } 4>\frac{-2}{5} x+8
$$



## EX: Translate the verbal phrase into an inequality. Then graph the inequality.

- All real numbers that are less than -1 or greater than or
 equal to 4 .

- All real numbers that are greater than or equal to -3 and less than 5.

- At an auction, the lowest bid for an autographed trading card is * $\$ 20$. The highest bid is $\$ 54$.



## EX:



- Mars has a maximum temperature of $25^{\circ} \mathrm{C}$ at the equator and a minimum temperature of $-130^{\circ} \mathrm{C}$ at the winter pole.

- Write and solve a compound inequality that describes the possible temperatures (in degrees Fahrenheit) on Mars.
- Graph your solution.


* 



$$
y^{*}
$$

## 5.5 <br> Solve Absolute Value Equations



## Absolute Value

- The absolute value of a number is the between $\qquad$ on the number line.
- Symbol:
- The absolute value of a number is $\qquad$ because $\qquad$ .
- EX: | 5 |

- EX:|-5|



## Solving Absolute Value Equations:

- 1) $\qquad$ the $\qquad$ .
- 2) Take what is $\qquad$ of the absolute value
 symbol and $\qquad$ to both the of what is on
the other side of the equation.
- 3) $\qquad$ the resulting equations.



## EX: Solve the equation.

- $|x|=8$
$|2 x-7|=9$

- $4|t+9|-5=19$
$\frac{1}{3}|2 x-5|+3=7$


* 



$$
y^{*}
$$

## No Solution

- Anytime the absolute value expression equals a
$\qquad$ the equation has
- EX: $|2 x+6|=-9$



## EX:

Solve the equation, if possible.

- $2|x-5|+4=2$
$-3|x+2|-7=-10$



